

Overview of UCODE & Associated Codes

Modes that can be accomplished:

Forward Process Model run with Residuals

Conduct Sensitivity Analysis

Estimate Optimal Parameter values and associated linear uncertainty

Evaluate quality of the model

Estimate values of Predictions and associated linear uncertainty

Evaluate model linearity

Evaluate NonLinear uncertainty associated with
estimates of parameter values and predicted values

Auxiliary: Investigate Objective Function

See UCODE Manual Chapter 1 for overview and
description of manual contents

When **prediction=yes**, UCODE calculates **predictions and sensitivities (if sensitivities=yes)** of the model parameters to those predicted values for the purpose of calculating 95-percent linear confidence and prediction intervals on the predictions. IN PREDICTION MODE WE CHANGE THE PROCESS MODEL TO THE PREDICTIVE CONDITIONS

We will get both
CONFIDENCE INTERVALS and PREDICTION INTERVALS
ON PREDICTED VALUES

CONFIDENCE INTERVALS are based on var-cov of parameters,
reflecting certainty associated with the parameters

PREDICTION INTERVALS are based on var-cov of parameters AND
the measurement error reflecting our ability to measure the predicted
value

3 ALTERNATIVE METHODS OF CALCULATION OF INTERVALS for both CONFIDENCE INTERVALS AND PREDICTION INTERVALS on PREDICTIONS

Appropriate method depends on # of predictions jointly considered

- 1) INDIVIDUAL INTERVALS
- 2) SIMULTANEOUS INTERVALS - more than one interval
- 3) SIMULTANEOUS INTERVALS - undefined number of intervals (e.g. drawdown over an area must be limited to a given magnitude, but the location of the maximum drawdown cannot be determined a priori).

Only the critical values differ and are obtained from one of:

- Student-t Distribution
- Bonferroni-t Distribution
- Scheffe (based on the F-distribution)

UCODE tests for the appropriate method, then prints intervals for Individual and Both Simultaneous Intervals. Of these 3, the user selects the interval appropriate for their question.

INDIVIDUAL CONFIDENCE INTERVALS

$$z'_\ell \pm t_s \left(n, 1.0 - \frac{\alpha}{2} \right) s_{z'_\ell}$$

$z'_\ell = \ell^{\text{th}}$ simulated value

$t_s \left(n, 1.0 - \frac{\alpha}{2} \right) =$ critical value, value with $\frac{\alpha}{2}$ probability that

a student-t distributed random value would be larger

$n =$ degrees of freedom $(ND + NPR - NP)$

$\alpha =$ significance level, commonly 0.05 or 0.10 (5 or 10%)

$s_{z'_\ell} =$ standard deviation of the prediction

$$s_{z'} = \left[\sum_{i=1}^{NP} \sum_{j=1}^{NP} \frac{\partial z'}{\partial b_j} v(b_{ij}) \frac{\partial z'}{\partial b_i} \right]^{\frac{1}{2}}$$

Element ij of the variance/covariance matrix

Sensitivity of the simulated equivalent of the prediction to the parameters

SIMULTANEOUS CONFIDENCE INTERVALS

Two Methods: Bonferroni & Scheffe

Both conservative with respect to significance level
Both are calculated by UCODE and the smaller is used

Bonferroni:
$$\bar{z}_i \pm t_B \left(n, 1.0 - \frac{\alpha}{2k} \right) s_{z_i}$$

where k is the number of simultaneous intervals and
 t_B is the Bonferroni - t probability distribution for a
given number of degrees of freedom and
simultaneous intervals
at the selected significance level

Scheffe:
$$\bar{z}_i \pm t_s (d, F_{\alpha}(d, n)) s_{z_i}$$

where $d = k$ (# simultaneous intervals)
OR
the # of parameters (which ever is less) and
 F_{α} is the critical value from the
 F probability distribution for a given
number of degrees of freedom at the
selected significance level

PREDICTION INTERVALS are broader than confidence intervals
because they include the probability that the MEASURED value will
fall into the interval. Calculations are the same as for confidence
intervals, however the standard deviation is increased to reflect the
measurement error as follows:

$$\bar{z}_i \pm t_s \left(n, 1.0 - \frac{\alpha}{2} \right) (s_{z_i} + s_a)$$

where s_a is the product of the
standard error of the regression
and the
expected measurement error of the prediction

**EVALUATE PREDICTIVE UNCERTAINTY
using OPTIMAL PARAMETER VALUES with UCODE**

Develop a predictive MODLFOW Model
Import to ModelMate as per instructions in PDF file

**Run UCODE with prediction=yes, first to be sure all is
functioning correctly**

Then with sensitivity=yes

UCODE calculates the sensitivity of the predictions to
the parameters at the optimal values

linear_uncertainty is executed in that folder with the
ucode root file name as input, e.g.

C:\WRDAPP\UCODE_2005\bin\linear_uncertainty.exe ep_Ucode

This ucode prediction execution must be done in the folder
with the regression data exchange files and does not
overwrite previously created UCODE output files

It produces additional files

#upred
_p _pv _dmp _spu _sppp _sppr _spsp _spsr

The linear_uncertainty execution produces

#linunc and ._linp

You can view the results in **GW_Chart**